

# Research on International Financial Markets

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# Complete vs Incomplete Markets

**Complete Market Hypothesis:** A set of securities is available for every state of the world.

- Allows you to invest when Marginal Product of capital is high: 'Make Hay while the Sun Shines'
- In other words, invest when  $MPK \geq r^*$  where  $r^*$  is the world interest rate.

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**Incomplete Market Hypothesis:** No insurance for some states of the world.

- Implies precautionary savings: 'Save for the rainy days'
- In other words, invest when you have funds available.

# Complete vs Incomplete Markets

⇒ These two hypothesis lead to radically different conclusions as far as it concerns international financial markets.

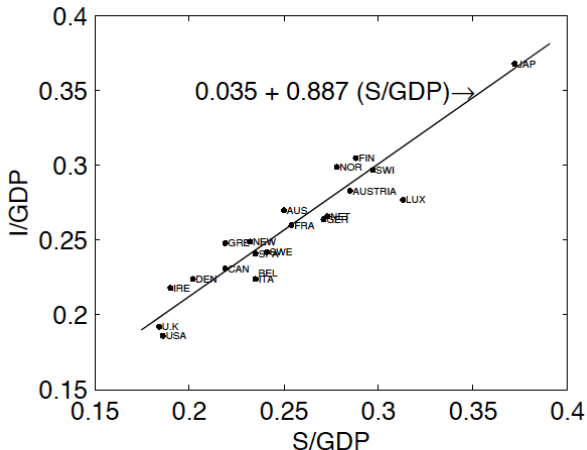
- With incomplete markets investment is based on availability of funds from savings. Savings and investment positively correlated
- With complete markets you invest *whenever* investment returns are high. Savings and investment are uncorrelated

## Feldstein Horioka (1980, Economic Journal)

In 1980, Feldstein and Horioka showed that changes in countries' rates of national savings were closely related to the countries' rates of investment.

- Examined 16 industrial countries over 1960-74.
  - Savings to GDP, Investment to GDP ratios

# Feldstein Horioka (1980, Economic Journal)



Source: M. Feldstein and C. Horioka, "Domestic Saving and International Capital Flows," *Economic Journal* 90, June 1980, 314-29.

## Feldstein Horioka (1980, Economic Journal)

Running a simple regression of investment to GDP on Savings to GDP on the cross-section of many countries, they obtained

$$\left(\frac{I}{Y}\right)_i = .035 + .887 \left(\frac{S}{Y}\right)_i + v^2 \quad \text{with } R^2 = .91$$

- The finding is evidence for incomplete financial markets (e.g., imperfect capital mobility etc).
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Bai & Zhang (2010, Econometrica) show that the standard model with complete financial markets implies a regression coefficient on  $\left(\frac{S}{Y}\right)_i$  close to zero ( $\text{corr}(S, I) \approx 0$ )



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Different regression coefficient on 'true' data and 'complete markets' model generated data.

- The standard model cannot replicate the findings. We call this a "puzzle".

# Solving the Feldstein-Horioka Puzzle

Bai and Zhang (2010, Econometrica) resolve this puzzle using incomplete markets.

Postulate financial constraints:

- They postulate a model where countries have restrictions on borrowing (a bond-enforcement model)
- This specification implies a restriction on capital flow mobility
  - → Capital flows decline compared to the standard model; less risk-sharing.

# Bai Zhang Results

## The Bond-Enforcement Model

$$(I/Y)_i = \gamma_0 + \gamma_1(S/Y)_i$$

	<b>Model</b>	<b>Data</b>
Mean of $\gamma_1$	<b>0.52</b>	<b>0.52</b>
Mean of standard deviation of $\gamma_1$	0.05	
Standard deviation of mean	0.104	
Standard deviation of standard deviation	0.009	

Figure: Simulations of the Incomplete Markets- Bond Enforcement Model.  
Source: Bai and Zhang (2010).